

SOP (sum of product)

A sum of product form expression contains product terms (AND terms) which are sum (OR) together, that's why called sum of product.

Each product terms (AND terms) consists of one or more literals (variables) appearing either in complements or uncomplemented form. E.g. $a'b + b'c' + abc$

- A product term which contains all the literals (variables) either in complemented or uncomplemented form is called minterm.
- In a n variable function, there will be 2^n minterms.

Binary Representation	Sequence	Minterm	Designation
000	0	$a'b'c'$	m_0
001	1	$a'b'c$	m_1
010	2	$a'bc'$	m_2
011	3	$a'bc$	m_3
100	4	$ab'c'$	m_4
101	5	$ab'c$	m_5
110	6	abc'	m_6
111	7	abc	m_7

- The result of a product term must always be 1, If a literal is having value 1 then it is ok, but if not, then we complement those which is 0, it to make it 1.
- There is only 1 input sequence of variables for any minterm on which the output is 1, so it represents information.
- Then the sum of all product term(minterm) to form a function, and functions will have value 1, if at least one of the product term(minterm) is 1.

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Canonical logic forms

Either in POS or SOP form it is not essential that all product or sum terms contains all the literals.

Canonical SOP form: - In a sum of product form expression, if each AND term (product term) consists all the literals(variables) appearing either in complements or uncomplemented form. E.g. $a'bc + ab'c' + abc$. Then the form is said to be canonical SOP.

POS (Product of Sum)

A product of sum (POS) form of expression contains OR (sum) terms which are AND (product) together, that's why called product of sum expression.

Each OR term (sum term) consists of one or more literals(variables) appearing either in complemented or uncomplemented form. $(a' + b)$. $(b' + c')$. $(a + c)$